

> # Pa-Pa-1 <> prime p by H.E:

>  $cc := 1 : c := 0 : nc := 0$  :for h from 1 to 500 do if  $isprime(ithprime(h + 1) - ithprime(h) + 1)$  then  $c := c + 1$  : print( $ithprime(h + 1)[P[h + 1]] - ithprime(h)[P[h]] + 1 = Prime(ithprime(h + 1) - ithprime(h) + 1)[No(cc[c])]$ ) else  $nc := nc + 1 : c := 0$  :  $cc := nc + 1$  : print( ( $ithprime(h + 1)[P[h + 1]] - ithprime(h)[P[h]] + 1 = NOTPrime(ithprime(h + 1) - ithprime(h) + 1)[No(nc)]$ ) fi :od:

$$3_{P_2} - 2_{P_1} + 1 = Prime(2)_{No(1_1)}$$

$$5_{P_3} - 3_{P_2} + 1 = Prime(3)_{No(1_2)}$$

$$7_{P_4} - 5_{P_3} + 1 = Prime(3)_{No(1_3)}$$

$$11_{P_5} - 7_{P_4} + 1 = Prime(5)_{No(1_4)}$$

$$13_{P_6} - 11_{P_5} + 1 = Prime(3)_{No(1_5)}$$

$$17_{P_7} - 13_{P_6} + 1 = Prime(5)_{No(1_6)}$$

$$19_{P_8} - 17_{P_7} + 1 = Prime(3)_{No(1_7)}$$

$$23_{P_9} - 19_{P_8} + 1 = Prime(5)_{No(1_8)}$$

$$29_{P_{10}} - 23_{P_9} + 1 = Prime(7)_{No(1_9)}$$

$$31_{P_{11}} - 29_{P_{10}} + 1 = Prime(3)_{No(1_{10})}$$

$$37_{P_{12}} - 31_{P_{11}} + 1 = Prime(7)_{No(1_{11})}$$

$$41_{P_{13}} - 37_{P_{12}} + 1 = Prime(5)_{No(1_{12})}$$

$$43_{P_{14}} - 41_{P_{13}} + 1 = Prime(3)_{No(1_{13})}$$

$$47_{P_{15}} - 43_{P_{14}} + 1 = Prime(5)_{No(1_{14})}$$

$$53_{P_{16}} - 47_{P_{15}} + 1 = Prime(7)_{No(1_{15})}$$

$$59_{P_{17}} - 53_{P_{16}} + 1 = Prime(7)_{No(1_{16})}$$

$$61_{P_{18}} - 59_{P_{17}} + 1 = Prime(3)_{No(1_{17})}$$

$$67_{P_{19}} - 61_{P_{18}} + 1 = Prime(7)_{No(1_{18})}$$

$$71_{P_{20}} - 67_{P_{19}} + 1 = Prime(5)_{No(1_{19})}$$

$$73_{P_{21}} - 71_{P_{20}} + 1 = Prime(3)_{No(1_{20})}$$

$$79_{P_{22}} - 73_{P_{21}} + 1 = Prime(7)_{No(1_{21})}$$

$$83_{P_{23}} - 79_{P_{22}} + 1 = Prime(5)_{No(1_{22})}$$

$$89_{P_{24}} - 83_{P_{23}} + 1 = Prime(7)_{No(1_{23})}$$

$$\left( 97_{P_{25}} - 89_{P_{24}} + 1 = NOTPrime(9) \right)_{No(1)}$$

$$\begin{aligned}
101_{P_{26}} - 97_{P_{25}} + 1 &= \text{Prime}(5)_{No(2_1)} \\
103_{P_{27}} - 101_{P_{26}} + 1 &= \text{Prime}(3)_{No(2_2)} \\
107_{P_{28}} - 103_{P_{27}} + 1 &= \text{Prime}(5)_{No(2_3)} \\
109_{P_{29}} - 107_{P_{28}} + 1 &= \text{Prime}(3)_{No(2_4)} \\
113_{P_{30}} - 109_{P_{29}} + 1 &= \text{Prime}(5)_{No(2_5)} \\
(127_{P_{31}} - 113_{P_{30}} + 1 &= \text{NOTPrime}(15))_{No(2)} \\
131_{P_{32}} - 127_{P_{31}} + 1 &= \text{Prime}(5)_{No(3_1)} \\
137_{P_{33}} - 131_{P_{32}} + 1 &= \text{Prime}(7)_{No(3_2)} \\
139_{P_{34}} - 137_{P_{33}} + 1 &= \text{Prime}(3)_{No(3_3)} \\
149_{P_{35}} - 139_{P_{34}} + 1 &= \text{Prime}(11)_{No(3_4)} \\
151_{P_{36}} - 149_{P_{35}} + 1 &= \text{Prime}(3)_{No(3_5)} \\
157_{P_{37}} - 151_{P_{36}} + 1 &= \text{Prime}(7)_{No(3_6)} \\
163_{P_{38}} - 157_{P_{37}} + 1 &= \text{Prime}(7)_{No(3_7)} \\
167_{P_{39}} - 163_{P_{38}} + 1 &= \text{Prime}(5)_{No(3_8)} \\
173_{P_{40}} - 167_{P_{39}} + 1 &= \text{Prime}(7)_{No(3_9)} \\
179_{P_{41}} - 173_{P_{40}} + 1 &= \text{Prime}(7)_{No(3_{10})} \\
181_{P_{42}} - 179_{P_{41}} + 1 &= \text{Prime}(3)_{No(3_{11})} \\
191_{P_{43}} - 181_{P_{42}} + 1 &= \text{Prime}(11)_{No(3_{12})} \\
193_{P_{44}} - 191_{P_{43}} + 1 &= \text{Prime}(3)_{No(3_{13})} \\
197_{P_{45}} - 193_{P_{44}} + 1 &= \text{Prime}(5)_{No(3_{14})} \\
199_{P_{46}} - 197_{P_{45}} + 1 &= \text{Prime}(3)_{No(3_{15})} \\
211_{P_{47}} - 199_{P_{46}} + 1 &= \text{Prime}(13)_{No(3_{16})} \\
223_{P_{48}} - 211_{P_{47}} + 1 &= \text{Prime}(13)_{No(3_{17})} \\
227_{P_{49}} - 223_{P_{48}} + 1 &= \text{Prime}(5)_{No(3_{18})} \\
229_{P_{50}} - 227_{P_{49}} + 1 &= \text{Prime}(3)_{No(3_{19})} \\
233_{P_{51}} - 229_{P_{50}} + 1 &= \text{Prime}(5)_{No(3_{20})} \\
239_{P_{52}} - 233_{P_{51}} + 1 &= \text{Prime}(7)_{No(3_{21})}
\end{aligned}$$

$$\begin{aligned}
& 241_{P_{53}} - 239_{P_{52}} + 1 = \text{Prime}(3)_{No(3_{22})} \\
& 251_{P_{54}} - 241_{P_{53}} + 1 = \text{Prime}(11)_{No(3_{23})} \\
& 257_{P_{55}} - 251_{P_{54}} + 1 = \text{Prime}(7)_{No(3_{24})} \\
& 263_{P_{56}} - 257_{P_{55}} + 1 = \text{Prime}(7)_{No(3_{25})} \\
& 269_{P_{57}} - 263_{P_{56}} + 1 = \text{Prime}(7)_{No(3_{26})} \\
& 271_{P_{58}} - 269_{P_{57}} + 1 = \text{Prime}(3)_{No(3_{27})} \\
& 277_{P_{59}} - 271_{P_{58}} + 1 = \text{Prime}(7)_{No(3_{28})} \\
& 281_{P_{60}} - 277_{P_{59}} + 1 = \text{Prime}(5)_{No(3_{29})} \\
& 283_{P_{61}} - 281_{P_{60}} + 1 = \text{Prime}(3)_{No(3_{30})} \\
& 293_{P_{62}} - 283_{P_{61}} + 1 = \text{Prime}(11)_{No(3_{31})} \\
& \left( 307_{P_{63}} - 293_{P_{62}} + 1 = \text{NOTPrime}(15) \right)_{No(3)} \\
& 311_{P_{64}} - 307_{P_{63}} + 1 = \text{Prime}(5)_{No(4_1)} \\
& 313_{P_{65}} - 311_{P_{64}} + 1 = \text{Prime}(3)_{No(4_2)} \\
& 317_{P_{66}} - 313_{P_{65}} + 1 = \text{Prime}(5)_{No(4_3)} \\
& \left( 331_{P_{67}} - 317_{P_{66}} + 1 = \text{NOTPrime}(15) \right)_{No(4)} \\
& 337_{P_{68}} - 331_{P_{67}} + 1 = \text{Prime}(7)_{No(5_1)} \\
& 347_{P_{69}} - 337_{P_{68}} + 1 = \text{Prime}(11)_{No(5_2)} \\
& 349_{P_{70}} - 347_{P_{69}} + 1 = \text{Prime}(3)_{No(5_3)} \\
& 353_{P_{71}} - 349_{P_{70}} + 1 = \text{Prime}(5)_{No(5_4)} \\
& 359_{P_{72}} - 353_{P_{71}} + 1 = \text{Prime}(7)_{No(5_5)} \\
& \left( 367_{P_{73}} - 359_{P_{72}} + 1 = \text{NOTPrime}(9) \right)_{No(5)} \\
& 373_{P_{74}} - 367_{P_{73}} + 1 = \text{Prime}(7)_{No(6_1)} \\
& 379_{P_{75}} - 373_{P_{74}} + 1 = \text{Prime}(7)_{No(6_2)} \\
& 383_{P_{76}} - 379_{P_{75}} + 1 = \text{Prime}(5)_{No(6_3)} \\
& 389_{P_{77}} - 383_{P_{76}} + 1 = \text{Prime}(7)_{No(6_4)} \\
& \left( 397_{P_{78}} - 389_{P_{77}} + 1 = \text{NOTPrime}(9) \right)_{No(6)}
\end{aligned}$$

$$\begin{aligned}
& 401_{P_{79}} - 397_{P_{78}} + 1 = \text{Prime}(5)_{No(7_1)} \\
& \left( 409_{P_{80}} - 401_{P_{79}} + 1 = \text{NOTPrime}(9) \right)_{No(7)} \\
& 419_{P_{81}} - 409_{P_{80}} + 1 = \text{Prime}(11)_{No(8_1)} \\
& 421_{P_{82}} - 419_{P_{81}} + 1 = \text{Prime}(3)_{No(8_2)} \\
& 431_{P_{83}} - 421_{P_{82}} + 1 = \text{Prime}(11)_{No(8_3)} \\
& 433_{P_{84}} - 431_{P_{83}} + 1 = \text{Prime}(3)_{No(8_4)} \\
& 439_{P_{85}} - 433_{P_{84}} + 1 = \text{Prime}(7)_{No(8_5)} \\
& 443_{P_{86}} - 439_{P_{85}} + 1 = \text{Prime}(5)_{No(8_6)} \\
& 449_{P_{87}} - 443_{P_{86}} + 1 = \text{Prime}(7)_{No(8_7)} \\
& \left( 457_{P_{88}} - 449_{P_{87}} + 1 = \text{NOTPrime}(9) \right)_{No(8)} \\
& 461_{P_{89}} - 457_{P_{88}} + 1 = \text{Prime}(5)_{No(9_1)} \\
& 463_{P_{90}} - 461_{P_{89}} + 1 = \text{Prime}(3)_{No(9_2)} \\
& 467_{P_{91}} - 463_{P_{90}} + 1 = \text{Prime}(5)_{No(9_3)} \\
& 479_{P_{92}} - 467_{P_{91}} + 1 = \text{Prime}(13)_{No(9_4)} \\
& \left( 487_{P_{93}} - 479_{P_{92}} + 1 = \text{NOTPrime}(9) \right)_{No(9)} \\
& 491_{P_{94}} - 487_{P_{93}} + 1 = \text{Prime}(5)_{No(10_1)} \\
& \left( 499_{P_{95}} - 491_{P_{94}} + 1 = \text{NOTPrime}(9) \right)_{No(10)} \\
& 503_{P_{96}} - 499_{P_{95}} + 1 = \text{Prime}(5)_{No(11_1)} \\
& 509_{P_{97}} - 503_{P_{96}} + 1 = \text{Prime}(7)_{No(11_2)} \\
& 521_{P_{98}} - 509_{P_{97}} + 1 = \text{Prime}(13)_{No(11_3)} \\
& 523_{P_{99}} - 521_{P_{98}} + 1 = \text{Prime}(3)_{No(11_4)} \\
& 541_{P_{100}} - 523_{P_{99}} + 1 = \text{Prime}(19)_{No(11_5)} \\
& 547_{P_{101}} - 541_{P_{100}} + 1 = \text{Prime}(7)_{No(11_6)} \\
& 557_{P_{102}} - 547_{P_{101}} + 1 = \text{Prime}(11)_{No(11_7)} \\
& 563_{P_{103}} - 557_{P_{102}} + 1 = \text{Prime}(7)_{No(11_8)} \\
& 569_{P_{104}} - 563_{P_{103}} + 1 = \text{Prime}(7)_{No(11_9)}
\end{aligned}$$

$$\begin{aligned}
& 571_{P_{105}} - 569_{P_{104}} + 1 = \text{Prime}(3)_{No(11_{10})} \\
& 577_{P_{106}} - 571_{P_{105}} + 1 = \text{Prime}(7)_{No(11_{11})} \\
& 587_{P_{107}} - 577_{P_{106}} + 1 = \text{Prime}(11)_{No(11_{12})} \\
& 593_{P_{108}} - 587_{P_{107}} + 1 = \text{Prime}(7)_{No(11_{13})} \\
& 599_{P_{109}} - 593_{P_{108}} + 1 = \text{Prime}(7)_{No(11_{14})} \\
& 601_{P_{110}} - 599_{P_{109}} + 1 = \text{Prime}(3)_{No(11_{15})} \\
& 607_{P_{111}} - 601_{P_{110}} + 1 = \text{Prime}(7)_{No(11_{16})} \\
& 613_{P_{112}} - 607_{P_{111}} + 1 = \text{Prime}(7)_{No(11_{17})} \\
& 617_{P_{113}} - 613_{P_{112}} + 1 = \text{Prime}(5)_{No(11_{18})} \\
& 619_{P_{114}} - 617_{P_{113}} + 1 = \text{Prime}(3)_{No(11_{19})} \\
& 631_{P_{115}} - 619_{P_{114}} + 1 = \text{Prime}(13)_{No(11_{20})} \\
& 641_{P_{116}} - 631_{P_{115}} + 1 = \text{Prime}(11)_{No(11_{21})} \\
& 643_{P_{117}} - 641_{P_{116}} + 1 = \text{Prime}(3)_{No(11_{22})} \\
& 647_{P_{118}} - 643_{P_{117}} + 1 = \text{Prime}(5)_{No(11_{23})} \\
& 653_{P_{119}} - 647_{P_{118}} + 1 = \text{Prime}(7)_{No(11_{24})} \\
& 659_{P_{120}} - 653_{P_{119}} + 1 = \text{Prime}(7)_{No(11_{25})} \\
& 661_{P_{121}} - 659_{P_{120}} + 1 = \text{Prime}(3)_{No(11_{26})} \\
& 673_{P_{122}} - 661_{P_{121}} + 1 = \text{Prime}(13)_{No(11_{27})} \\
& 677_{P_{123}} - 673_{P_{122}} + 1 = \text{Prime}(5)_{No(11_{28})} \\
& 683_{P_{124}} - 677_{P_{123}} + 1 = \text{Prime}(7)_{No(11_{29})} \\
& \left( 691_{P_{125}} - 683_{P_{124}} + 1 = \text{NOTPrime}(9) \right)_{No(11)} \\
& 701_{P_{126}} - 691_{P_{125}} + 1 = \text{Prime}(11)_{No(12_1)} \\
& \left( 709_{P_{127}} - 701_{P_{126}} + 1 = \text{NOTPrime}(9) \right)_{No(12)} \\
& 719_{P_{128}} - 709_{P_{127}} + 1 = \text{Prime}(11)_{No(13_1)} \\
& \left( 727_{P_{129}} - 719_{P_{128}} + 1 = \text{NOTPrime}(9) \right)_{No(13)} \\
& 733_{P_{130}} - 727_{P_{129}} + 1 = \text{Prime}(7)_{No(14_1)}
\end{aligned}$$

$$\begin{aligned}
& 739_P{}_{131} - 733_P{}_{130} + 1 = \text{Prime}(7)_{No(14)_2} \\
& 743_P{}_{132} - 739_P{}_{131} + 1 = \text{Prime}(5)_{No(14)_3} \\
& \left( 751_P{}_{133} - 743_P{}_{132} + 1 = \text{NOTPrime}(9) \right)_{No(14)} \\
& 757_P{}_{134} - 751_P{}_{133} + 1 = \text{Prime}(7)_{No(15)_1} \\
& 761_P{}_{135} - 757_P{}_{134} + 1 = \text{Prime}(5)_{No(15)_2} \\
& \left( 769_P{}_{136} - 761_P{}_{135} + 1 = \text{NOTPrime}(9) \right)_{No(15)} \\
& 773_P{}_{137} - 769_P{}_{136} + 1 = \text{Prime}(5)_{No(16)_1} \\
& \left( 787_P{}_{138} - 773_P{}_{137} + 1 = \text{NOTPrime}(15) \right)_{No(16)} \\
& 797_P{}_{139} - 787_P{}_{138} + 1 = \text{Prime}(11)_{No(17)_1} \\
& 809_P{}_{140} - 797_P{}_{139} + 1 = \text{Prime}(13)_{No(17)_2} \\
& 811_P{}_{141} - 809_P{}_{140} + 1 = \text{Prime}(3)_{No(17)_3} \\
& 821_P{}_{142} - 811_P{}_{141} + 1 = \text{Prime}(11)_{No(17)_4} \\
& 823_P{}_{143} - 821_P{}_{142} + 1 = \text{Prime}(3)_{No(17)_5} \\
& 827_P{}_{144} - 823_P{}_{143} + 1 = \text{Prime}(5)_{No(17)_6} \\
& 829_P{}_{145} - 827_P{}_{144} + 1 = \text{Prime}(3)_{No(17)_7} \\
& 839_P{}_{146} - 829_P{}_{145} + 1 = \text{Prime}(11)_{No(17)_8} \\
& \left( 853_P{}_{147} - 839_P{}_{146} + 1 = \text{NOTPrime}(15) \right)_{No(17)} \\
& 857_P{}_{148} - 853_P{}_{147} + 1 = \text{Prime}(5)_{No(18)_1} \\
& 859_P{}_{149} - 857_P{}_{148} + 1 = \text{Prime}(3)_{No(18)_2} \\
& 863_P{}_{150} - 859_P{}_{149} + 1 = \text{Prime}(5)_{No(18)_3} \\
& \left( 877_P{}_{151} - 863_P{}_{150} + 1 = \text{NOTPrime}(15) \right)_{No(18)} \\
& 881_P{}_{152} - 877_P{}_{151} + 1 = \text{Prime}(5)_{No(19)_1} \\
& 883_P{}_{153} - 881_P{}_{152} + 1 = \text{Prime}(3)_{No(19)_2} \\
& 887_P{}_{154} - 883_P{}_{153} + 1 = \text{Prime}(5)_{No(19)_3} \\
& \left( 907_P{}_{155} - 887_P{}_{154} + 1 = \text{NOTPrime}(21) \right)_{No(19)} \\
& 911_P{}_{156} - 907_P{}_{155} + 1 = \text{Prime}(5)_{No(20)_1}
\end{aligned}$$

$$\begin{aligned}
& \left( 919_{P_{157}} - 911_{P_{156}} + 1 = \text{NOTPrime}(9) \right)_{No(20)} \\
& 929_{P_{158}} - 919_{P_{157}} + 1 = \text{Prime}(11)_{No(21_1)} \\
& \left( 937_{P_{159}} - 929_{P_{158}} + 1 = \text{NOTPrime}(9) \right)_{No(21)} \\
& 941_{P_{160}} - 937_{P_{159}} + 1 = \text{Prime}(5)_{No(22_1)} \\
& 947_{P_{161}} - 941_{P_{160}} + 1 = \text{Prime}(7)_{No(22_2)} \\
& 953_{P_{162}} - 947_{P_{161}} + 1 = \text{Prime}(7)_{No(22_3)} \\
& \left( 967_{P_{163}} - 953_{P_{162}} + 1 = \text{NOTPrime}(15) \right)_{No(22)} \\
& 971_{P_{164}} - 967_{P_{163}} + 1 = \text{Prime}(5)_{No(23_1)} \\
& 977_{P_{165}} - 971_{P_{164}} + 1 = \text{Prime}(7)_{No(23_2)} \\
& 983_{P_{166}} - 977_{P_{165}} + 1 = \text{Prime}(7)_{No(23_3)} \\
& \left( 991_{P_{167}} - 983_{P_{166}} + 1 = \text{NOTPrime}(9) \right)_{No(23)} \\
& 997_{P_{168}} - 991_{P_{167}} + 1 = \text{Prime}(7)_{No(24_1)} \\
& 1009_{P_{169}} - 997_{P_{168}} + 1 = \text{Prime}(13)_{No(24_2)} \\
& 1013_{P_{170}} - 1009_{P_{169}} + 1 = \text{Prime}(5)_{No(24_3)} \\
& 1019_{P_{171}} - 1013_{P_{170}} + 1 = \text{Prime}(7)_{No(24_4)} \\
& 1021_{P_{172}} - 1019_{P_{171}} + 1 = \text{Prime}(3)_{No(24_5)} \\
& 1031_{P_{173}} - 1021_{P_{172}} + 1 = \text{Prime}(11)_{No(24_6)} \\
& 1033_{P_{174}} - 1031_{P_{173}} + 1 = \text{Prime}(3)_{No(24_7)} \\
& 1039_{P_{175}} - 1033_{P_{174}} + 1 = \text{Prime}(7)_{No(24_8)} \\
& 1049_{P_{176}} - 1039_{P_{175}} + 1 = \text{Prime}(11)_{No(24_9)} \\
& 1051_{P_{177}} - 1049_{P_{176}} + 1 = \text{Prime}(3)_{No(24_{10})} \\
& 1061_{P_{178}} - 1051_{P_{177}} + 1 = \text{Prime}(11)_{No(24_{11})} \\
& 1063_{P_{179}} - 1061_{P_{178}} + 1 = \text{Prime}(3)_{No(24_{12})} \\
& 1069_{P_{180}} - 1063_{P_{179}} + 1 = \text{Prime}(7)_{No(24_{13})} \\
& 1087_{P_{181}} - 1069_{P_{180}} + 1 = \text{Prime}(19)_{No(24_{14})} \\
& 1091_{P_{182}} - 1087_{P_{181}} + 1 = \text{Prime}(5)_{No(24_{15})}
\end{aligned}$$

$$\begin{aligned}
1093_{P_{183}} - 1091_{P_{182}} + 1 &= \text{Prime}(3)_{No(24_{16})} \\
1097_{P_{184}} - 1093_{P_{183}} + 1 &= \text{Prime}(5)_{No(24_{17})} \\
1103_{P_{185}} - 1097_{P_{184}} + 1 &= \text{Prime}(7)_{No(24_{18})} \\
1109_{P_{186}} - 1103_{P_{185}} + 1 &= \text{Prime}(7)_{No(24_{19})} \\
(1117_{P_{187}} - 1109_{P_{186}} + 1 &= \text{NOTPrime}(9))_{No(24)} \\
1123_{P_{188}} - 1117_{P_{187}} + 1 &= \text{Prime}(7)_{No(25_1)} \\
1129_{P_{189}} - 1123_{P_{188}} + 1 &= \text{Prime}(7)_{No(25_2)} \\
1151_{P_{190}} - 1129_{P_{189}} + 1 &= \text{Prime}(23)_{No(25_3)} \\
1153_{P_{191}} - 1151_{P_{190}} + 1 &= \text{Prime}(3)_{No(25_4)} \\
1163_{P_{192}} - 1153_{P_{191}} + 1 &= \text{Prime}(11)_{No(25_5)} \\
(1171_{P_{193}} - 1163_{P_{192}} + 1 &= \text{NOTPrime}(9))_{No(25)} \\
1181_{P_{194}} - 1171_{P_{193}} + 1 &= \text{Prime}(11)_{No(26_1)} \\
1187_{P_{195}} - 1181_{P_{194}} + 1 &= \text{Prime}(7)_{No(26_2)} \\
1193_{P_{196}} - 1187_{P_{195}} + 1 &= \text{Prime}(7)_{No(26_3)} \\
(1201_{P_{197}} - 1193_{P_{196}} + 1 &= \text{NOTPrime}(9))_{No(26)} \\
1213_{P_{198}} - 1201_{P_{197}} + 1 &= \text{Prime}(13)_{No(27_1)} \\
1217_{P_{199}} - 1213_{P_{198}} + 1 &= \text{Prime}(5)_{No(27_2)} \\
1223_{P_{200}} - 1217_{P_{199}} + 1 &= \text{Prime}(7)_{No(27_3)} \\
1229_{P_{201}} - 1223_{P_{200}} + 1 &= \text{Prime}(7)_{No(27_4)} \\
1231_{P_{202}} - 1229_{P_{201}} + 1 &= \text{Prime}(3)_{No(27_5)} \\
1237_{P_{203}} - 1231_{P_{202}} + 1 &= \text{Prime}(7)_{No(27_6)} \\
1249_{P_{204}} - 1237_{P_{203}} + 1 &= \text{Prime}(13)_{No(27_7)} \\
1259_{P_{205}} - 1249_{P_{204}} + 1 &= \text{Prime}(11)_{No(27_8)} \\
1277_{P_{206}} - 1259_{P_{205}} + 1 &= \text{Prime}(19)_{No(27_9)} \\
1279_{P_{207}} - 1277_{P_{206}} + 1 &= \text{Prime}(3)_{No(27_{10})} \\
1283_{P_{208}} - 1279_{P_{207}} + 1 &= \text{Prime}(5)_{No(27_{11})}
\end{aligned}$$



$$\begin{aligned}
1289_{P_{209}} - 1283_{P_{208}} + 1 &= \text{Prime}(7)_{No(27_{12})} \\
1291_{P_{210}} - 1289_{P_{209}} + 1 &= \text{Prime}(3)_{No(27_{13})} \\
1297_{P_{211}} - 1291_{P_{210}} + 1 &= \text{Prime}(7)_{No(27_{14})} \\
1301_{P_{212}} - 1297_{P_{211}} + 1 &= \text{Prime}(5)_{No(27_{15})} \\
1303_{P_{213}} - 1301_{P_{212}} + 1 &= \text{Prime}(3)_{No(27_{16})} \\
1307_{P_{214}} - 1303_{P_{213}} + 1 &= \text{Prime}(5)_{No(27_{17})} \\
1319_{P_{215}} - 1307_{P_{214}} + 1 &= \text{Prime}(13)_{No(27_{18})} \\
1321_{P_{216}} - 1319_{P_{215}} + 1 &= \text{Prime}(3)_{No(27_{19})} \\
1327_{P_{217}} - 1321_{P_{216}} + 1 &= \text{Prime}(7)_{No(27_{20})} \\
(1361_{P_{218}} - 1327_{P_{217}} + 1 &= \text{NOTPrime}(35))_{No(27)} \\
1367_{P_{219}} - 1361_{P_{218}} + 1 &= \text{Prime}(7)_{No(28_1)} \\
1373_{P_{220}} - 1367_{P_{219}} + 1 &= \text{Prime}(7)_{No(28_2)} \\
(1381_{P_{221}} - 1373_{P_{220}} + 1 &= \text{NOTPrime}(9))_{No(28)} \\
1399_{P_{222}} - 1381_{P_{221}} + 1 &= \text{Prime}(19)_{No(29_1)} \\
1409_{P_{223}} - 1399_{P_{222}} + 1 &= \text{Prime}(11)_{No(29_2)} \\
(1423_{P_{224}} - 1409_{P_{223}} + 1 &= \text{NOTPrime}(15))_{No(29)} \\
1427_{P_{225}} - 1423_{P_{224}} + 1 &= \text{Prime}(5)_{No(30_1)} \\
1429_{P_{226}} - 1427_{P_{225}} + 1 &= \text{Prime}(3)_{No(30_2)} \\
1433_{P_{227}} - 1429_{P_{226}} + 1 &= \text{Prime}(5)_{No(30_3)} \\
1439_{P_{228}} - 1433_{P_{227}} + 1 &= \text{Prime}(7)_{No(30_4)} \\
(1447_{P_{229}} - 1439_{P_{228}} + 1 &= \text{NOTPrime}(9))_{No(30)} \\
1451_{P_{230}} - 1447_{P_{229}} + 1 &= \text{Prime}(5)_{No(31_1)} \\
1453_{P_{231}} - 1451_{P_{230}} + 1 &= \text{Prime}(3)_{No(31_2)} \\
1459_{P_{232}} - 1453_{P_{231}} + 1 &= \text{Prime}(7)_{No(31_3)} \\
1471_{P_{233}} - 1459_{P_{232}} + 1 &= \text{Prime}(13)_{No(31_4)} \\
1481_{P_{234}} - 1471_{P_{233}} + 1 &= \text{Prime}(11)_{No(31_5)}
\end{aligned}$$

$$\begin{aligned}
& 1483_{P_{235}} - 1481_{P_{234}} + 1 = \text{Prime}(3)_{No(31_6)} \\
& 1487_{P_{236}} - 1483_{P_{235}} + 1 = \text{Prime}(5)_{No(31_7)} \\
& 1489_{P_{237}} - 1487_{P_{236}} + 1 = \text{Prime}(3)_{No(31_8)} \\
& 1493_{P_{238}} - 1489_{P_{237}} + 1 = \text{Prime}(5)_{No(31_9)} \\
& 1499_{P_{239}} - 1493_{P_{238}} + 1 = \text{Prime}(7)_{No(31_{10})} \\
& 1511_{P_{240}} - 1499_{P_{239}} + 1 = \text{Prime}(13)_{No(31_{11})} \\
& 1523_{P_{241}} - 1511_{P_{240}} + 1 = \text{Prime}(13)_{No(31_{12})} \\
& \left( 1531_{P_{242}} - 1523_{P_{241}} + 1 = \text{NOTPrime}(9) \right)_{No(31)} \\
& 1543_{P_{243}} - 1531_{P_{242}} + 1 = \text{Prime}(13)_{No(32_1)} \\
& 1549_{P_{244}} - 1543_{P_{243}} + 1 = \text{Prime}(7)_{No(32_2)} \\
& 1553_{P_{245}} - 1549_{P_{244}} + 1 = \text{Prime}(5)_{No(32_3)} \\
& 1559_{P_{246}} - 1553_{P_{245}} + 1 = \text{Prime}(7)_{No(32_4)} \\
& \left( 1567_{P_{247}} - 1559_{P_{246}} + 1 = \text{NOTPrime}(9) \right)_{No(32)} \\
& 1571_{P_{248}} - 1567_{P_{247}} + 1 = \text{Prime}(5)_{No(33_1)} \\
& \left( 1579_{P_{249}} - 1571_{P_{248}} + 1 = \text{NOTPrime}(9) \right)_{No(33)} \\
& 1583_{P_{250}} - 1579_{P_{249}} + 1 = \text{Prime}(5)_{No(34_1)} \\
& \left( 1597_{P_{251}} - 1583_{P_{250}} + 1 = \text{NOTPrime}(15) \right)_{No(34)} \\
& 1601_{P_{252}} - 1597_{P_{251}} + 1 = \text{Prime}(5)_{No(35_1)} \\
& 1607_{P_{253}} - 1601_{P_{252}} + 1 = \text{Prime}(7)_{No(35_2)} \\
& 1609_{P_{254}} - 1607_{P_{253}} + 1 = \text{Prime}(3)_{No(35_3)} \\
& 1613_{P_{255}} - 1609_{P_{254}} + 1 = \text{Prime}(5)_{No(35_4)} \\
& 1619_{P_{256}} - 1613_{P_{255}} + 1 = \text{Prime}(7)_{No(35_5)} \\
& 1621_{P_{257}} - 1619_{P_{256}} + 1 = \text{Prime}(3)_{No(35_6)} \\
& 1627_{P_{258}} - 1621_{P_{257}} + 1 = \text{Prime}(7)_{No(35_7)} \\
& 1637_{P_{259}} - 1627_{P_{258}} + 1 = \text{Prime}(11)_{No(35_8)} \\
& \left( 1657_{P_{260}} - 1637_{P_{259}} + 1 = \text{NOTPrime}(21) \right)_{No(35)}
\end{aligned}$$

$$\begin{aligned}
& 1663_{P_{261}} - 1657_{P_{260}} + 1 = \text{Prime}(7)_{No(36_1)} \\
& 1667_{P_{262}} - 1663_{P_{261}} + 1 = \text{Prime}(5)_{No(36_2)} \\
& 1669_{P_{263}} - 1667_{P_{262}} + 1 = \text{Prime}(3)_{No(36_3)} \\
& \left( 1693_{P_{264}} - 1669_{P_{263}} + 1 = \text{NOTPrime}(25) \right)_{No(36)} \\
& 1697_{P_{265}} - 1693_{P_{264}} + 1 = \text{Prime}(5)_{No(37_1)} \\
& 1699_{P_{266}} - 1697_{P_{265}} + 1 = \text{Prime}(3)_{No(37_2)} \\
& 1709_{P_{267}} - 1699_{P_{266}} + 1 = \text{Prime}(11)_{No(37_3)} \\
& 1721_{P_{268}} - 1709_{P_{267}} + 1 = \text{Prime}(13)_{No(37_4)} \\
& 1723_{P_{269}} - 1721_{P_{268}} + 1 = \text{Prime}(3)_{No(37_5)} \\
& 1733_{P_{270}} - 1723_{P_{269}} + 1 = \text{Prime}(11)_{No(37_6)} \\
& \left( 1741_{P_{271}} - 1733_{P_{270}} + 1 = \text{NOTPrime}(9) \right)_{No(37)} \\
& 1747_{P_{272}} - 1741_{P_{271}} + 1 = \text{Prime}(7)_{No(38_1)} \\
& 1753_{P_{273}} - 1747_{P_{272}} + 1 = \text{Prime}(7)_{No(38_2)} \\
& 1759_{P_{274}} - 1753_{P_{273}} + 1 = \text{Prime}(7)_{No(38_3)} \\
& 1777_{P_{275}} - 1759_{P_{274}} + 1 = \text{Prime}(19)_{No(38_4)} \\
& 1783_{P_{276}} - 1777_{P_{275}} + 1 = \text{Prime}(7)_{No(38_5)} \\
& 1787_{P_{277}} - 1783_{P_{276}} + 1 = \text{Prime}(5)_{No(38_6)} \\
& 1789_{P_{278}} - 1787_{P_{277}} + 1 = \text{Prime}(3)_{No(38_7)} \\
& 1801_{P_{279}} - 1789_{P_{278}} + 1 = \text{Prime}(13)_{No(38_8)} \\
& 1811_{P_{280}} - 1801_{P_{279}} + 1 = \text{Prime}(11)_{No(38_9)} \\
& 1823_{P_{281}} - 1811_{P_{280}} + 1 = \text{Prime}(13)_{No(38_{10})} \\
& \left( 1831_{P_{282}} - 1823_{P_{281}} + 1 = \text{NOTPrime}(9) \right)_{No(38)} \\
& 1847_{P_{283}} - 1831_{P_{282}} + 1 = \text{Prime}(17)_{No(39_1)} \\
& \left( 1861_{P_{284}} - 1847_{P_{283}} + 1 = \text{NOTPrime}(15) \right)_{No(39)} \\
& 1867_{P_{285}} - 1861_{P_{284}} + 1 = \text{Prime}(7)_{No(40_1)} \\
& 1871_{P_{286}} - 1867_{P_{285}} + 1 = \text{Prime}(5)_{No(40_2)}
\end{aligned}$$

$$\begin{aligned}
& 1873_{P_{287}} - 1871_{P_{286}} + 1 = \text{Prime}(3)_{No(40_3)} \\
& 1877_{P_{288}} - 1873_{P_{287}} + 1 = \text{Prime}(5)_{No(40_4)} \\
& 1879_{P_{289}} - 1877_{P_{288}} + 1 = \text{Prime}(3)_{No(40_5)} \\
& 1889_{P_{290}} - 1879_{P_{289}} + 1 = \text{Prime}(11)_{No(40_6)} \\
& 1901_{P_{291}} - 1889_{P_{290}} + 1 = \text{Prime}(13)_{No(40_7)} \\
& 1907_{P_{292}} - 1901_{P_{291}} + 1 = \text{Prime}(7)_{No(40_8)} \\
& 1913_{P_{293}} - 1907_{P_{292}} + 1 = \text{Prime}(7)_{No(40_9)} \\
& 1931_{P_{294}} - 1913_{P_{293}} + 1 = \text{Prime}(19)_{No(40_{10})} \\
& 1933_{P_{295}} - 1931_{P_{294}} + 1 = \text{Prime}(3)_{No(40_{11})} \\
& 1949_{P_{296}} - 1933_{P_{295}} + 1 = \text{Prime}(17)_{No(40_{12})} \\
& 1951_{P_{297}} - 1949_{P_{296}} + 1 = \text{Prime}(3)_{No(40_{13})} \\
& 1973_{P_{298}} - 1951_{P_{297}} + 1 = \text{Prime}(23)_{No(40_{14})} \\
& 1979_{P_{299}} - 1973_{P_{298}} + 1 = \text{Prime}(7)_{No(40_{15})} \\
& (1987_{P_{300}} - 1979_{P_{299}} + 1 = \text{NOTPrime}(9))_{No(40)} \\
& 1993_{P_{301}} - 1987_{P_{300}} + 1 = \text{Prime}(7)_{No(41_1)} \\
& 1997_{P_{302}} - 1993_{P_{301}} + 1 = \text{Prime}(5)_{No(41_2)} \\
& 1999_{P_{303}} - 1997_{P_{302}} + 1 = \text{Prime}(3)_{No(41_3)} \\
& 2003_{P_{304}} - 1999_{P_{303}} + 1 = \text{Prime}(5)_{No(41_4)} \\
& (2011_{P_{305}} - 2003_{P_{304}} + 1 = \text{NOTPrime}(9))_{No(41)} \\
& 2017_{P_{306}} - 2011_{P_{305}} + 1 = \text{Prime}(7)_{No(42_1)} \\
& 2027_{P_{307}} - 2017_{P_{306}} + 1 = \text{Prime}(11)_{No(42_2)} \\
& 2029_{P_{308}} - 2027_{P_{307}} + 1 = \text{Prime}(3)_{No(42_3)} \\
& 2039_{P_{309}} - 2029_{P_{308}} + 1 = \text{Prime}(11)_{No(42_4)} \\
& (2053_{P_{310}} - 2039_{P_{309}} + 1 = \text{NOTPrime}(15))_{No(42)} \\
& 2063_{P_{311}} - 2053_{P_{310}} + 1 = \text{Prime}(11)_{No(43_1)} \\
& 2069_{P_{312}} - 2063_{P_{311}} + 1 = \text{Prime}(7)_{No(43_2)}
\end{aligned}$$

$$\begin{aligned}
& 2081_{P_{313}} - 2069_{P_{312}} + 1 = \text{Prime}(13)_{No(43_3)} \\
& 2083_{P_{314}} - 2081_{P_{313}} + 1 = \text{Prime}(3)_{No(43_4)} \\
& 2087_{P_{315}} - 2083_{P_{314}} + 1 = \text{Prime}(5)_{No(43_5)} \\
& 2089_{P_{316}} - 2087_{P_{315}} + 1 = \text{Prime}(3)_{No(43_6)} \\
& 2099_{P_{317}} - 2089_{P_{316}} + 1 = \text{Prime}(11)_{No(43_7)} \\
& 2111_{P_{318}} - 2099_{P_{317}} + 1 = \text{Prime}(13)_{No(43_8)} \\
& 2113_{P_{319}} - 2111_{P_{318}} + 1 = \text{Prime}(3)_{No(43_9)} \\
& 2129_{P_{320}} - 2113_{P_{319}} + 1 = \text{Prime}(17)_{No(43_{10})} \\
& 2131_{P_{321}} - 2129_{P_{320}} + 1 = \text{Prime}(3)_{No(43_{11})} \\
& 2137_{P_{322}} - 2131_{P_{321}} + 1 = \text{Prime}(7)_{No(43_{12})} \\
& 2141_{P_{323}} - 2137_{P_{322}} + 1 = \text{Prime}(5)_{No(43_{13})} \\
& 2143_{P_{324}} - 2141_{P_{323}} + 1 = \text{Prime}(3)_{No(43_{14})} \\
& 2153_{P_{325}} - 2143_{P_{324}} + 1 = \text{Prime}(11)_{No(43_{15})} \\
& \left( 2161_{P_{326}} - 2153_{P_{325}} + 1 = \text{NOTPrime}(9) \right)_{No(43)} \\
& 2179_{P_{327}} - 2161_{P_{326}} + 1 = \text{Prime}(19)_{No(44_1)} \\
& \left( 2203_{P_{328}} - 2179_{P_{327}} + 1 = \text{NOTPrime}(25) \right)_{No(44)} \\
& 2207_{P_{329}} - 2203_{P_{328}} + 1 = \text{Prime}(5)_{No(45_1)} \\
& 2213_{P_{330}} - 2207_{P_{329}} + 1 = \text{Prime}(7)_{No(45_2)} \\
& \left( 2221_{P_{331}} - 2213_{P_{330}} + 1 = \text{NOTPrime}(9) \right)_{No(45)} \\
& 2237_{P_{332}} - 2221_{P_{331}} + 1 = \text{Prime}(17)_{No(46_1)} \\
& 2239_{P_{333}} - 2237_{P_{332}} + 1 = \text{Prime}(3)_{No(46_2)} \\
& 2243_{P_{334}} - 2239_{P_{333}} + 1 = \text{Prime}(5)_{No(46_3)} \\
& \left( 2251_{P_{335}} - 2243_{P_{334}} + 1 = \text{NOTPrime}(9) \right)_{No(46)} \\
& 2267_{P_{336}} - 2251_{P_{335}} + 1 = \text{Prime}(17)_{No(47_1)} \\
& 2269_{P_{337}} - 2267_{P_{336}} + 1 = \text{Prime}(3)_{No(47_2)} \\
& 2273_{P_{338}} - 2269_{P_{337}} + 1 = \text{Prime}(5)_{No(47_3)}
\end{aligned}$$

$$\left( 2281_P_{339} - 2273_P_{338} + 1 = NOTPrime(9) \right)_{No(47)}$$

$$2287_P_{340} - 2281_P_{339} + 1 = Prime(7)_{No(48_1)}$$

$$2293_P_{341} - 2287_P_{340} + 1 = Prime(7)_{No(48_2)}$$

$$2297_P_{342} - 2293_P_{341} + 1 = Prime(5)_{No(48_3)}$$

$$2309_P_{343} - 2297_P_{342} + 1 = Prime(13)_{No(48_4)}$$

$$2311_P_{344} - 2309_P_{343} + 1 = Prime(3)_{No(48_5)}$$

$$2333_P_{345} - 2311_P_{344} + 1 = Prime(23)_{No(48_6)}$$

$$2339_P_{346} - 2333_P_{345} + 1 = Prime(7)_{No(48_7)}$$

$$2341_P_{347} - 2339_P_{346} + 1 = Prime(3)_{No(48_8)}$$

$$2347_P_{348} - 2341_P_{347} + 1 = Prime(7)_{No(48_9)}$$

$$2351_P_{349} - 2347_P_{348} + 1 = Prime(5)_{No(48_{10})}$$

$$2357_P_{350} - 2351_P_{349} + 1 = Prime(7)_{No(48_{11})}$$

$$\left( 2371_P_{351} - 2357_P_{350} + 1 = NOTPrime(15) \right)_{No(48)}$$

$$2377_P_{352} - 2371_P_{351} + 1 = Prime(7)_{No(49_1)}$$

$$2381_P_{353} - 2377_P_{352} + 1 = Prime(5)_{No(49_2)}$$

$$2383_P_{354} - 2381_P_{353} + 1 = Prime(3)_{No(49_3)}$$

$$2389_P_{355} - 2383_P_{354} + 1 = Prime(7)_{No(49_4)}$$

$$2393_P_{356} - 2389_P_{355} + 1 = Prime(5)_{No(49_5)}$$

$$2399_P_{357} - 2393_P_{356} + 1 = Prime(7)_{No(49_6)}$$

$$2411_P_{358} - 2399_P_{357} + 1 = Prime(13)_{No(49_7)}$$

$$2417_P_{359} - 2411_P_{358} + 1 = Prime(7)_{No(49_8)}$$

$$2423_P_{360} - 2417_P_{359} + 1 = Prime(7)_{No(49_9)}$$

$$\left( 2437_P_{361} - 2423_P_{360} + 1 = NOTPrime(15) \right)_{No(49)}$$

$$2441_P_{362} - 2437_P_{361} + 1 = Prime(5)_{No(50_1)}$$

$$2447_P_{363} - 2441_P_{362} + 1 = Prime(7)_{No(50_2)}$$

$$2459_P_{364} - 2447_P_{363} + 1 = Prime(13)_{No(50_3)}$$

$$\left( 2467_{P_{365}} - 2459_{P_{364}} + 1 = NOTPrime(9) \right)_{No(50)}$$

$$2473_{P_{366}} - 2467_{P_{365}} + 1 = Prime(7)_{No(51_1)}$$

$$2477_{P_{367}} - 2473_{P_{366}} + 1 = Prime(5)_{No(51_2)}$$

$$\left( 2503_{P_{368}} - 2477_{P_{367}} + 1 = NOTPrime(27) \right)_{No(51)}$$

$$2521_{P_{369}} - 2503_{P_{368}} + 1 = Prime(19)_{No(52_1)}$$

$$2531_{P_{370}} - 2521_{P_{369}} + 1 = Prime(11)_{No(52_2)}$$

$$\left( 2539_{P_{371}} - 2531_{P_{370}} + 1 = NOTPrime(9) \right)_{No(52)}$$

$$2543_{P_{372}} - 2539_{P_{371}} + 1 = Prime(5)_{No(53_1)}$$

$$2549_{P_{373}} - 2543_{P_{372}} + 1 = Prime(7)_{No(53_2)}$$

$$2551_{P_{374}} - 2549_{P_{373}} + 1 = Prime(3)_{No(53_3)}$$

$$2557_{P_{375}} - 2551_{P_{374}} + 1 = Prime(7)_{No(53_4)}$$

$$2579_{P_{376}} - 2557_{P_{375}} + 1 = Prime(23)_{No(53_5)}$$

$$2591_{P_{377}} - 2579_{P_{376}} + 1 = Prime(13)_{No(53_6)}$$

$$2593_{P_{378}} - 2591_{P_{377}} + 1 = Prime(3)_{No(53_7)}$$

$$2609_{P_{379}} - 2593_{P_{378}} + 1 = Prime(17)_{No(53_8)}$$

$$\left( 2617_{P_{380}} - 2609_{P_{379}} + 1 = NOTPrime(9) \right)_{No(53)}$$

$$2621_{P_{381}} - 2617_{P_{380}} + 1 = Prime(5)_{No(54_1)}$$

$$2633_{P_{382}} - 2621_{P_{381}} + 1 = Prime(13)_{No(54_2)}$$

$$\left( 2647_{P_{383}} - 2633_{P_{382}} + 1 = NOTPrime(15) \right)_{No(54)}$$

$$2657_{P_{384}} - 2647_{P_{383}} + 1 = Prime(11)_{No(55_1)}$$

$$2659_{P_{385}} - 2657_{P_{384}} + 1 = Prime(3)_{No(55_2)}$$

$$2663_{P_{386}} - 2659_{P_{385}} + 1 = Prime(5)_{No(55_3)}$$

$$\left( 2671_{P_{387}} - 2663_{P_{386}} + 1 = NOTPrime(9) \right)_{No(55)}$$

$$2677_{P_{388}} - 2671_{P_{387}} + 1 = Prime(7)_{No(56_1)}$$

$$2683_{P_{389}} - 2677_{P_{388}} + 1 = Prime(7)_{No(56_2)}$$

$$2687_{P_{390}} - 2683_{P_{389}} + 1 = Prime(5)_{No(56_3)}$$

$$\begin{aligned}
& 2689_{P_{391}} - 2687_{P_{390}} + 1 = Prime(3)_{No(56_4)} \\
& 2693_{P_{392}} - 2689_{P_{391}} + 1 = Prime(5)_{No(56_5)} \\
& 2699_{P_{393}} - 2693_{P_{392}} + 1 = Prime(7)_{No(56_6)} \\
& (2707_{P_{394}} - 2699_{P_{393}} + 1 = NOTPrime(9))_{No(56)} \\
& 2711_{P_{395}} - 2707_{P_{394}} + 1 = Prime(5)_{No(57_1)} \\
& 2713_{P_{396}} - 2711_{P_{395}} + 1 = Prime(3)_{No(57_2)} \\
& 2719_{P_{397}} - 2713_{P_{396}} + 1 = Prime(7)_{No(57_3)} \\
& 2729_{P_{398}} - 2719_{P_{397}} + 1 = Prime(11)_{No(57_4)} \\
& 2731_{P_{399}} - 2729_{P_{398}} + 1 = Prime(3)_{No(57_5)} \\
& 2741_{P_{400}} - 2731_{P_{399}} + 1 = Prime(11)_{No(57_6)} \\
& (2749_{P_{401}} - 2741_{P_{400}} + 1 = NOTPrime(9))_{No(57)} \\
& 2753_{P_{402}} - 2749_{P_{401}} + 1 = Prime(5)_{No(58_1)} \\
& (2767_{P_{403}} - 2753_{P_{402}} + 1 = NOTPrime(15))_{No(58)} \\
& 2777_{P_{404}} - 2767_{P_{403}} + 1 = Prime(11)_{No(59_1)} \\
& 2789_{P_{405}} - 2777_{P_{404}} + 1 = Prime(13)_{No(59_2)} \\
& 2791_{P_{406}} - 2789_{P_{405}} + 1 = Prime(3)_{No(59_3)} \\
& 2797_{P_{407}} - 2791_{P_{406}} + 1 = Prime(7)_{No(59_4)} \\
& 2801_{P_{408}} - 2797_{P_{407}} + 1 = Prime(5)_{No(59_5)} \\
& 2803_{P_{409}} - 2801_{P_{408}} + 1 = Prime(3)_{No(59_6)} \\
& 2819_{P_{410}} - 2803_{P_{409}} + 1 = Prime(17)_{No(59_7)} \\
& (2833_{P_{411}} - 2819_{P_{410}} + 1 = NOTPrime(15))_{No(59)} \\
& 2837_{P_{412}} - 2833_{P_{411}} + 1 = Prime(5)_{No(60_1)} \\
& 2843_{P_{413}} - 2837_{P_{412}} + 1 = Prime(7)_{No(60_2)} \\
& (2851_{P_{414}} - 2843_{P_{413}} + 1 = NOTPrime(9))_{No(60)} \\
& 2857_{P_{415}} - 2851_{P_{414}} + 1 = Prime(7)_{No(61_1)} \\
& 2861_{P_{416}} - 2857_{P_{415}} + 1 = Prime(5)_{No(61_2)}
\end{aligned}$$



$$\begin{aligned}
& 2879_{P_{417}} - 2861_{P_{416}} + 1 = \text{Prime}(19)_{No(61_3)} \\
& \left( 2887_{P_{418}} - 2879_{P_{417}} + 1 = \text{NOTPrime}(9) \right)_{No(61)} \\
& 2897_{P_{419}} - 2887_{P_{418}} + 1 = \text{Prime}(11)_{No(62_1)} \\
& 2903_{P_{420}} - 2897_{P_{419}} + 1 = \text{Prime}(7)_{No(62_2)} \\
& 2909_{P_{421}} - 2903_{P_{420}} + 1 = \text{Prime}(7)_{No(62_3)} \\
& \left( 2917_{P_{422}} - 2909_{P_{421}} + 1 = \text{NOTPrime}(9) \right)_{No(62)} \\
& 2927_{P_{423}} - 2917_{P_{422}} + 1 = \text{Prime}(11)_{No(63_1)} \\
& 2939_{P_{424}} - 2927_{P_{423}} + 1 = \text{Prime}(13)_{No(63_2)} \\
& \left( 2953_{P_{425}} - 2939_{P_{424}} + 1 = \text{NOTPrime}(15) \right)_{No(63)} \\
& 2957_{P_{426}} - 2953_{P_{425}} + 1 = \text{Prime}(5)_{No(64_1)} \\
& 2963_{P_{427}} - 2957_{P_{426}} + 1 = \text{Prime}(7)_{No(64_2)} \\
& 2969_{P_{428}} - 2963_{P_{427}} + 1 = \text{Prime}(7)_{No(64_3)} \\
& 2971_{P_{429}} - 2969_{P_{428}} + 1 = \text{Prime}(3)_{No(64_4)} \\
& 2999_{P_{430}} - 2971_{P_{429}} + 1 = \text{Prime}(29)_{No(64_5)} \\
& 3001_{P_{431}} - 2999_{P_{430}} + 1 = \text{Prime}(3)_{No(64_6)} \\
& 3011_{P_{432}} - 3001_{P_{431}} + 1 = \text{Prime}(11)_{No(64_7)} \\
& \left( 3019_{P_{433}} - 3011_{P_{432}} + 1 = \text{NOTPrime}(9) \right)_{No(64)} \\
& 3023_{P_{434}} - 3019_{P_{433}} + 1 = \text{Prime}(5)_{No(65_1)} \\
& \left( 3037_{P_{435}} - 3023_{P_{434}} + 1 = \text{NOTPrime}(15) \right)_{No(65)} \\
& 3041_{P_{436}} - 3037_{P_{435}} + 1 = \text{Prime}(5)_{No(66_1)} \\
& \left( 3049_{P_{437}} - 3041_{P_{436}} + 1 = \text{NOTPrime}(9) \right)_{No(66)} \\
& 3061_{P_{438}} - 3049_{P_{437}} + 1 = \text{Prime}(13)_{No(67_1)} \\
& 3067_{P_{439}} - 3061_{P_{438}} + 1 = \text{Prime}(7)_{No(67_2)} \\
& 3079_{P_{440}} - 3067_{P_{439}} + 1 = \text{Prime}(13)_{No(67_3)} \\
& 3083_{P_{441}} - 3079_{P_{440}} + 1 = \text{Prime}(5)_{No(67_4)} \\
& 3089_{P_{442}} - 3083_{P_{441}} + 1 = \text{Prime}(7)_{No(67_5)}
\end{aligned}$$

$$\begin{aligned}
& \left( 3109_P{}_{443} - 3089_P{}_{442} + 1 = NOTPrime(21) \right)_{No(67)} \\
& 3119_P{}_{444} - 3109_P{}_{443} + 1 = Prime(11)_{No(68_1)} \\
& 3121_P{}_{445} - 3119_P{}_{444} + 1 = Prime(3)_{No(68_2)} \\
& 3137_P{}_{446} - 3121_P{}_{445} + 1 = Prime(17)_{No(68_3)} \\
& \left( 3163_P{}_{447} - 3137_P{}_{446} + 1 = NOTPrime(27) \right)_{No(68)} \\
& 3167_P{}_{448} - 3163_P{}_{447} + 1 = Prime(5)_{No(69_1)} \\
& 3169_P{}_{449} - 3167_P{}_{448} + 1 = Prime(3)_{No(69_2)} \\
& 3181_P{}_{450} - 3169_P{}_{449} + 1 = Prime(13)_{No(69_3)} \\
& 3187_P{}_{451} - 3181_P{}_{450} + 1 = Prime(7)_{No(69_4)} \\
& 3191_P{}_{452} - 3187_P{}_{451} + 1 = Prime(5)_{No(69_5)} \\
& 3203_P{}_{453} - 3191_P{}_{452} + 1 = Prime(13)_{No(69_6)} \\
& 3209_P{}_{454} - 3203_P{}_{453} + 1 = Prime(7)_{No(69_7)} \\
& \left( 3217_P{}_{455} - 3209_P{}_{454} + 1 = NOTPrime(9) \right)_{No(69)} \\
& 3221_P{}_{456} - 3217_P{}_{455} + 1 = Prime(5)_{No(70_1)} \\
& \left( 3229_P{}_{457} - 3221_P{}_{456} + 1 = NOTPrime(9) \right)_{No(70)} \\
& 3251_P{}_{458} - 3229_P{}_{457} + 1 = Prime(23)_{No(71_1)} \\
& 3253_P{}_{459} - 3251_P{}_{458} + 1 = Prime(3)_{No(71_2)} \\
& 3257_P{}_{460} - 3253_P{}_{459} + 1 = Prime(5)_{No(71_3)} \\
& 3259_P{}_{461} - 3257_P{}_{460} + 1 = Prime(3)_{No(71_4)} \\
& 3271_P{}_{462} - 3259_P{}_{461} + 1 = Prime(13)_{No(71_5)} \\
& 3299_P{}_{463} - 3271_P{}_{462} + 1 = Prime(29)_{No(71_6)} \\
& 3301_P{}_{464} - 3299_P{}_{463} + 1 = Prime(3)_{No(71_7)} \\
& 3307_P{}_{465} - 3301_P{}_{464} + 1 = Prime(7)_{No(71_8)} \\
& 3313_P{}_{466} - 3307_P{}_{465} + 1 = Prime(7)_{No(71_9)} \\
& 3319_P{}_{467} - 3313_P{}_{466} + 1 = Prime(7)_{No(71_{10})} \\
& 3323_P{}_{468} - 3319_P{}_{467} + 1 = Prime(5)_{No(71_{11})}
\end{aligned}$$

$$\begin{aligned}
3329_{P_{469}} - 3323_{P_{468}} + 1 &= \text{Prime}(7)_{No(71_{12})} \\
3331_{P_{470}} - 3329_{P_{469}} + 1 &= \text{Prime}(3)_{No(71_{13})} \\
3343_{P_{471}} - 3331_{P_{470}} + 1 &= \text{Prime}(13)_{No(71_{14})} \\
3347_{P_{472}} - 3343_{P_{471}} + 1 &= \text{Prime}(5)_{No(71_{15})} \\
3359_{P_{473}} - 3347_{P_{472}} + 1 &= \text{Prime}(13)_{No(71_{16})} \\
3361_{P_{474}} - 3359_{P_{473}} + 1 &= \text{Prime}(3)_{No(71_{17})} \\
3371_{P_{475}} - 3361_{P_{474}} + 1 &= \text{Prime}(11)_{No(71_{18})} \\
3373_{P_{476}} - 3371_{P_{475}} + 1 &= \text{Prime}(3)_{No(71_{19})} \\
3389_{P_{477}} - 3373_{P_{476}} + 1 &= \text{Prime}(17)_{No(71_{20})} \\
3391_{P_{478}} - 3389_{P_{477}} + 1 &= \text{Prime}(3)_{No(71_{21})} \\
3407_{P_{479}} - 3391_{P_{478}} + 1 &= \text{Prime}(17)_{No(71_{22})} \\
3413_{P_{480}} - 3407_{P_{479}} + 1 &= \text{Prime}(7)_{No(71_{23})} \\
(3433_{P_{481}} - 3413_{P_{480}} + 1 &= \text{NOTPrime}(21))_{No(71)} \\
3449_{P_{482}} - 3433_{P_{481}} + 1 &= \text{Prime}(17)_{No(72_1)} \\
(3457_{P_{483}} - 3449_{P_{482}} + 1 &= \text{NOTPrime}(9))_{No(72)} \\
3461_{P_{484}} - 3457_{P_{483}} + 1 &= \text{Prime}(5)_{No(73_1)} \\
3463_{P_{485}} - 3461_{P_{484}} + 1 &= \text{Prime}(3)_{No(73_2)} \\
3467_{P_{486}} - 3463_{P_{485}} + 1 &= \text{Prime}(5)_{No(73_3)} \\
3469_{P_{487}} - 3467_{P_{486}} + 1 &= \text{Prime}(3)_{No(73_4)} \\
3491_{P_{488}} - 3469_{P_{487}} + 1 &= \text{Prime}(23)_{No(73_5)} \\
(3499_{P_{489}} - 3491_{P_{488}} + 1 &= \text{NOTPrime}(9))_{No(73)} \\
3511_{P_{490}} - 3499_{P_{489}} + 1 &= \text{Prime}(13)_{No(74_1)} \\
3517_{P_{491}} - 3511_{P_{490}} + 1 &= \text{Prime}(7)_{No(74_2)} \\
3527_{P_{492}} - 3517_{P_{491}} + 1 &= \text{Prime}(11)_{No(74_3)} \\
3529_{P_{493}} - 3527_{P_{492}} + 1 &= \text{Prime}(3)_{No(74_4)} \\
3533_{P_{494}} - 3529_{P_{493}} + 1 &= \text{Prime}(5)_{No(74_5)}
\end{aligned}$$

$$3539_{P_{495}} - 3533_{P_{494}} + 1 = Prime(7)_{No(74_6)}$$

$$3541_{P_{496}} - 3539_{P_{495}} + 1 = Prime(3)_{No(74_7)}$$

$$3547_{P_{497}} - 3541_{P_{496}} + 1 = Prime(7)_{No(74_8)}$$

$$3557_{P_{498}} - 3547_{P_{497}} + 1 = Prime(11)_{No(74_9)}$$

$$3559_{P_{499}} - 3557_{P_{498}} + 1 = Prime(3)_{No(74_{10})}$$

$$3571_{P_{500}} - 3559_{P_{499}} + 1 = Prime(13)_{No(74_{11})}$$

$$3581_{P_{501}} - 3571_{P_{500}} + 1 = Prime(11)_{No(74_{12})}$$

(1)