

> # sum $x^x = \text{Prime}$ by $H \cdot E$ 2019 - 11 - 9 :

> $c := 0 : s := 0$:for h from 1 to 10000 do $s := s + h^h$:if $\text{isprime}(s)$ then if $h \leq 5$ then $c := c$

+ 1 : print $\left(\sum_{j=1}^h [j]^j = \text{Prime} (H \cdot E[No = c]) \right)$ else print $([1]^1 + [2]^2 + [3]^3 + xxx$

+ $[h - 1]^{h-1} + [h]^h = \text{Prime}(s) [H \cdot E[No = c]]$) end if fi :od:

$$[1] + [2]^2 = \text{Prime} (H \cdot E_{No=1})$$

$$[1] + [2]^2 + [3]^3 + [4]^4 + [5]^5 = \text{Prime} (H \cdot E_{No=2})$$

$$[1] + [2]^2 + [3]^3 + xxx + [5]^5 + [6]^6 = \text{Prime}(50069)_{H \cdot E_{No=2}}$$

$$[1] + [2]^2 + [3]^3 + xxx + [9]^9 + [10]^{10} = \text{Prime}(10405071317)_{H \cdot E_{No=2}}$$

$$[1] + [2]^2 + [3]^3 + xxx + [29]^{29} + [30]^{30}$$

$$= \text{Prime}(208492413443704093346554910065262730566475781)_{H \cdot E_{No=2}}$$

(1)

> for e from 2 to 6 do print () : $c := 0 : s := 1$:for h from 1 to 200 do $s := s + \text{ithprime}(h)^e$:

if $\text{isprime}(s)$ then $c := c + 1$:if $h \leq 5$ then print $\left([1] + \sum_{j=1}^h \text{ithprime}(j) [\{j\} \text{ th } p]^e \right)$

$= \text{Prime} (s) [H \cdot E[No = c]]$) else print $(1^e + [[2][\{1\} \text{ th } p]]^e + [[3][2 \text{ th } p]]^e + xxx$

+ $[\text{ithprime}(h - 1)[(h - 1) \text{ th } p]]^e + [\text{ithprime}(h)[h \text{ th } p]]^e = \text{Prime}(s) [H \cdot E[No = c]]$) end if fi :od:od:

$$[1] + 2^2_{\{1\} \text{ th } p} = \text{Prime } 5_{H \cdot E_{No=1}}$$

$$1 + [2]_{\{1\} \text{ th } p}^2 + [3]_{2 \text{ th } p}^2 + xxx + [29]_{10 \text{ th } p}^2 + [31]_{11 \text{ th } p}^2 = \text{Prime}(3359)_{H \cdot E_{No=2}}$$

$$1 + [2]_{\{1\} \text{ th } p}^2 + [3]_{2 \text{ th } p}^2 + xxx + [61]_{18 \text{ th } p}^2 + [67]_{19 \text{ th } p}^2 = \text{Prime}(24967)_{H \cdot E_{No=3}}$$

$$1 + [2]_{\{1\} \text{ th } p}^2 + [3]_{2 \text{ th } p}^2 + xxx + [107]_{28 \text{ th } p}^2 + [109]_{29 \text{ th } p}^2 = \text{Prime}(109937)_{H \cdot E_{No=4}}$$

$$1 + [2]_{\{1\} \text{ th } p}^2 + [3]_{2 \text{ th } p}^2 + xxx + [151]_{36 \text{ th } p}^2 + [157]_{37 \text{ th } p}^2 = \text{Prime}(263737)_{H \cdot E_{No=5}}$$

$$1 + [2]_{\{1\} \text{ th } p}^2 + [3]_{2 \text{ th } p}^2 + xxx + [359]_{72 \text{ th } p}^2 + [367]_{73 \text{ th } p}^2 = \text{Prime}(2841373)_{H \cdot E_{No=6}}$$

$$1 + [2]_{\{1\} \text{ th } p}^2 + [3]_{2 \text{ th } p}^2 + xxx + [503]_{96 \text{ th } p}^2 + [509]_{97 \text{ th } p}^2 = \text{Prime}(7547077)_{H \cdot E_{No=7}}$$

$$1 + [2]_{\{1\} \text{ th } p}^2 + [3]_{2 \text{ th } p}^2 + xxx + [887]_{154 \text{ th } p}^2 + [907]_{155 \text{ th } p}^2 = \text{Prime}(37464551)_{H \cdot E_{No=8}}$$

$$1 + [2]_{\{1\}thp}^2 + [3]_{2thp}^2 + xxx + [953]_{162thp}^2 + [967]_{163thp}^2 \\ = Prime(44505631)_{H \cdot E_{No=9}}$$

$$1 + [2]_{\{1\}thp}^2 + [3]_{2thp}^2 + xxx + [1033]_{174thp}^2 + [1039]_{175thp}^2 \\ = Prime(56680003)_{H \cdot E_{No=10}}$$

$$1 + [2]_{\{1\}thp}^2 + [3]_{2thp}^2 + xxx + [1151]_{190thp}^2 + [1153]_{191thp}^2 \\ = Prime(75937523)_{H \cdot E_{No=11}}$$

$$1 + [2]_{\{1\}thp}^3 + [3]_{2thp}^3 + xxx + [71]_{20thp}^3 + [73]_{21thp}^3 = Prime(2013983)_{H \cdot E_{No=1}}$$

$$1 + [2]_{\{1\}thp}^3 + [3]_{2thp}^3 + xxx + [997]_{168thp}^3 + [1009]_{169thp}^3 \\ = Prime(37528375567)_{H \cdot E_{No=2}}$$

$$1 + [2]_{\{1\}thp}^3 + [3]_{2thp}^3 + xxx + [1061]_{178thp}^3 + [1063]_{179thp}^3 \\ = Prime(48720948259)_{H \cdot E_{No=3}}$$

$$[1] + 2^4_{\{1\}thp} = Prime 17_{H \cdot E_{No=1}}$$

$$1 + [2]_{\{1\}thp}^4 + [3]_{2thp}^4 + xxx + [37]_{12thp}^4 + [41]_{13thp}^4 = Prime(6870733)_{H \cdot E_{No=2}}$$

$$1 + [2]_{\{1\}thp}^4 + [3]_{2thp}^4 + xxx + [181]_{42thp}^4 + [191]_{43thp}^4 \\ = Prime(9723349723)_{H \cdot E_{No=3}}$$

$$1 + [2]_{\{1\}thp}^4 + [3]_{2thp}^4 + xxx + [349]_{70thp}^4 + [353]_{71thp}^4 \\ = Prime(190977764951)_{H \cdot E_{No=4}}$$

$$1 + [2]_{\{1\}thp}^4 + [3]_{2thp}^4 + xxx + [541]_{100thp}^4 + [547]_{101thp}^4 \\ = Prime(1503145202981)_{H \cdot E_{No=5}}$$

$$1 + [2]_{\{1\}thp}^4 + [3]_{2thp}^4 + xxx + [857]_{148thp}^4 + [859]_{149thp}^4 \\ = Prime(14418852565829)_{H \cdot E_{No=6}}$$

$$1 + [2]_{\{1\}thp}^4 + [3]_{2thp}^4 + xxx + [953]_{162thp}^4 + [967]_{163thp}^4 \\ = Prime(24276490010083)_{H \cdot E_{No=7}}$$

$$1 + [2]_{\{1\}thp}^4 + [3]_{2thp}^4 + xxx + [1151]_{190thp}^4 + [1153]_{191thp}^4 \\ = Prime(59907449687471)_{H \cdot E_{No=8}}$$

$$1 + [2]_{\{1\}thp}^5 + [3]_{2thp}^5 + xxx + [29]_{10thp}^5 + [31]_{11thp}^5$$

$$\begin{aligned}
&= Prime(60025151)_{H \cdot E_{No=1}} \\
1 + [[2]_{\{1\} th p}]^5 + [[3]_{2 th p}]^5 + xxx + [71_{20 th p}]^5 + [73_{21 th p}]^5 \\
&= Prime(7826720903)_{H \cdot E_{No=2}} \\
1 + [[2]_{\{1\} th p}]^5 + [[3]_{2 th p}]^5 + xxx + [229_{50 th p}]^5 + [233_{51 th p}]^5 \\
&= Prime(5315694312101)_{H \cdot E_{No=3}} \\
1 + [[2]_{\{1\} th p}]^5 + [[3]_{2 th p}]^5 + xxx + [503_{96 th p}]^5 + [509_{97 th p}]^5 \\
&= Prime(503388827998099)_{H \cdot E_{No=4}} \\
1 + [[2]_{\{1\} th p}]^5 + [[3]_{2 th p}]^5 + xxx + [953_{162 th p}]^5 + [967_{163 th p}]^5 \\
&= Prime(19398671440091479)_{H \cdot E_{No=5}} \\
1 + [[2]_{\{1\} th p}]^5 + [[3]_{2 th p}]^5 + xxx + [997_{168 th p}]^5 + [1009_{169 th p}]^5 \\
&= Prime(25056561870953887)_{H \cdot E_{No=6}} \\
1 + [[2]_{\{1\} th p}]^5 + [[3]_{2 th p}]^5 + xxx + [1061_{178 th p}]^5 + [1063_{179 th p}]^5 \\
&= Prime(37137845945657467)_{H \cdot E_{No=7}} \\
1 + [[2]_{\{1\} th p}]^5 + [[3]_{2 th p}]^5 + xxx + [1109_{186 th p}]^5 + [1117_{187 th p}]^5 \\
&= Prime(49794637822344073)_{H \cdot E_{No=8}} \\
\\
1 + [[2]_{\{1\} th p}]^6 + [[3]_{2 th p}]^6 + xxx + [181_{42 th p}]^6 + [191_{43 th p}]^6 \\
&= Prime(254637172916827)_{H \cdot E_{No=1}} \\
1 + [[2]_{\{1\} th p}]^6 + [[3]_{2 th p}]^6 + xxx + [199_{46 th p}]^6 + [211_{47 th p}]^6 \\
&= Prime(515121222006767)_{H \cdot E_{No=2}} \\
1 + [[2]_{\{1\} th p}]^6 + [[3]_{2 th p}]^6 + xxx + [421_{82 th p}]^6 + [431_{83 th p}]^6 \\
&= Prime(64165941996249827)_{H \cdot E_{No=3}} \\
1 + [[2]_{\{1\} th p}]^6 + [[3]_{2 th p}]^6 + xxx + [1021_{172 th p}]^6 + [1031_{173 th p}]^6 \\
&= Prime(26101521510851697293)_{H \cdot E_{No=4}}
\end{aligned}$$

(2)

> lhs (2)

$$1 + [[2]_{\{1\} th p}]^6 + [[3]_{2 th p}]^6 + xxx + [1021_{172 th p}]^6 + [1031_{173 th p}]^6$$

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