> #$\left(p1^e + .. + pn^e = prime \textbf{ by } H \cdot E \right)$

> **for** e **from** 1 **to** 10 **do** $c := 0 : hs := 2 : PS := \{ \} : ps := 0 :$**for** h **from** 1 **to** 1000 **do** $ps := ps$
$+ ithprime(h)^e :$**if** $isprime(ps)$ **then** $c := c + 1 : ps1 := \left[sum\left[[hs[\{1\} th\, p]]^e, kara, \right.\right.$
$[ithprime(h)[h\, th\, p]]^e, made, [h], kono\left.\left.\right] = (evalf(ps))[prime[c]]\right] : PS := PS$
union$\{ps1\}$ **fi:od**$: print(\{e\}$乘数、$LAST, 10$ 例$)$:**for** j **from** -10 **to** -1
do $print(PS[j])$ **:od:od:**

<div align="center">{1} <i>乘数、LAST, 10 例</i></div>

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]}, kara, \left[6263_{814\,th\,p}\right], made, [814], kono = \left(2.364833\ 10^6\right)_{prime_{67}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]}, kara, \left[6301_{820\,th\,p}\right], made, [820], kono = \left(2.402537\ 10^6\right)_{prime_{68}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]}, kara, \left[6427_{836\,th\,p}\right], made, [836], kono = \left(2.504323\ 10^6\right)_{prime_{69}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]}, kara, \left[6529_{844\,th\,p}\right], made, [844], kono = \left(2.556187\ 10^6\right)_{prime_{70}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]}, kara, \left[6563_{848\,th\,p}\right], made, [848], kono = \left(2.582401\ 10^6\right)_{prime_{71}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]}, kara, \left[6581_{852\,th\,p}\right], made, [852], kono = \left(2.608699\ 10^6\right)_{prime_{72}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]}, kara, \left[7243_{926\,th\,p}\right], made, [926], kono = \left(3.120833\ 10^6\right)_{prime_{73}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]}, kara, \left[7433_{942\,th\,p}\right], made, [942], kono = \left(3.238237\ 10^6\right)_{prime_{74}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]}, kara, \left[7757_{984\,th\,p}\right], made, [984], kono = \left(3.557303\ 10^6\right)_{prime_{75}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]}, kara, \left[7853_{992\,th\,p}\right], made, [992], kono = \left(3.619807\ 10^6\right)_{prime_{76}} \right]$$

<div align="center">{2} <i>乘数、LAST, 10 例</i></div>

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^2}, kara, \left[6659_{858\,th\,p}\right]^2, made, [858], kono = \left(1.149797684\ 10^{10}\right)_{prime_{36}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^2}, kara, \left[6709_{866\,th\,p}\right]^2, made, [866], kono = \left(1.185584022\ 10^{10}\right)_{prime_{37}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^2}, kara, \left[6803_{876\,th\,p}\right]^2, made, [876], kono = \left(1.231363507\ 10^{10}\right)_{prime_{38}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^2}, kara, \left[6827_{878\,th\,p}\right]^2, made, [878], kono = \left(1.240679633\ 10^{10}\right)_{prime_{39}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^2}, kara, \left[6971_{896\,th\,p}\right]^2, made, [896], kono = \left(1.326428565\ 10^{10}\right)_{prime_{40}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^2}, kara, \left[6997_{900\,th\,p}\right]^2, made, [900], kono = \left(1.345955856\ 10^{10}\right)_{prime_{41}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^2}, kara, \left[7121_{912\,th\,p}\right]^2, made, [912], kono = \left(1.405713457\ 10^{10}\right)_{prime_{42}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^2}, kara, \left[7499_{950\,th\,p}\right]^2, made, [950], kono = \left(1.608975089\ 10^{10}\right)_{prime_{43}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^2}, kara, \left[7681_{974\,th\,p}\right]^2, made, [974], kono = \left(1.747101173\ 10^{10}\right)_{prime_{44}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{2},\,kara,\,\left[7879_{996\,th\,p}\right]^{2},\,made,\,[996],\,kono} = \left(1.880332046\ 10^{10}\right)_{prime_{45}} \right]$$

<div align="center">{3} 乗数、LAST, 10 例</div>

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{3},\,kara,\,\left[4799_{646\,th\,p}\right]^{3},\,made,\,[646],\,kono} = \left(1.601554082\ 10^{13}\right)_{prime_{29}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{3},\,kara,\,\left[5051_{676\,th\,p}\right]^{3},\,made,\,[676],\,kono} = \left(1.963340358\ 10^{13}\right)_{prime_{30}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{3},\,kara,\,\left[5471_{722\,th\,p}\right]^{3},\,made,\,[722],\,kono} = \left(2.637801027\ 10^{13}\right)_{prime_{31}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{3},\,kara,\,\left[5683_{748\,th\,p}\right]^{3},\,made,\,[748],\,kono} = \left(3.089011863\ 10^{13}\right)_{prime_{32}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{3},\,kara,\,\left[5849_{768\,th\,p}\right]^{3},\,made,\,[768],\,kono} = \left(3.473644451\ 10^{13}\right)_{prime_{33}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{3},\,kara,\,\left[5897_{776\,th\,p}\right]^{3},\,made,\,[776],\,kono} = \left(3.635477462\ 10^{13}\right)_{prime_{34}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{3},\,kara,\,\left[5981_{782\,th\,p}\right]^{3},\,made,\,[782],\,kono} = \left(3.761086577\ 10^{13}\right)_{prime_{35}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{3},\,kara,\,\left[6073_{792\,th\,p}\right]^{3},\,made,\,[792],\,kono} = \left(3.980944508\ 10^{13}\right)_{prime_{36}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{3},\,kara,\,\left[6451_{838\,th\,p}\right]^{3},\,made,\,[838],\,kono} = \left(5.112253477\ 10^{13}\right)_{prime_{37}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{3},\,kara,\,\left[7013_{902\,th\,p}\right]^{3},\,made,\,[902],\,kono} = \left(7.087437658\ 10^{13}\right)_{prime_{38}} \right]$$

<div align="center">{4} 乗数、LAST, 10 例</div>

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{4},\,kara,\,\left[4831_{650\,th\,p}\right]^{4},\,made,\,[650],\,kono} = \left(6.328478553\ 10^{16}\right)_{prime_{24}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{4},\,kara,\,\left[5261_{698\,th\,p}\right]^{4},\,made,\,[698],\,kono} = \left(9.458218820\ 10^{16}\right)_{prime_{25}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{4},\,kara,\,\left[6221_{810\,th\,p}\right]^{4},\,made,\,[810],\,kono} = \left(2.180207564\ 10^{17}\right)_{prime_{26}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{4},\,kara,\,\left[6563_{848\,th\,p}\right]^{4},\,made,\,[848],\,kono} = \left(2.811983510\ 10^{17}\right)_{prime_{27}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{4},\,kara,\,\left[6907_{888\,th\,p}\right]^{4},\,made,\,[888],\,kono} = \left(3.637808307\ 10^{17}\right)_{prime_{28}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{4},\,kara,\,\left[7129_{914\,th\,p}\right]^{4},\,made,\,[914],\,kono} = \left(4.268802237\ 10^{17}\right)_{prime_{29}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{4},\,kara,\,\left[7207_{920\,th\,p}\right]^{4},\,made,\,[920],\,kono} = \left(4.428179317\ 10^{17}\right)_{prime_{30}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{4},\,kara,\,\left[7297_{930\,th\,p}\right]^{4},\,made,\,[930],\,kono} = \left(4.703449103\ 10^{17}\right)_{prime_{31}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{4},\,kara,\,\left[7621_{968\,th\,p}\right]^{4},\,made,\,[968],\,kono} = \left(5.894104858\ 10^{17}\right)_{prime_{32}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{4},\,kara,\,\left[7829_{990\,th\,p}\right]^{4},\,made,\,[990],\,kono} = \left(6.678045185\ 10^{17}\right)_{prime_{33}} \right]$$

<div align="center">{5} 乗数、 LAST, 10 例</div>

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{5},\,kara,\,\left[3079_{440\,th\,p}\right]^{5},\,made,\,[440],\,kono} = \left(1.787505536\ 10^{19}\right)_{prime_{12}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{5},\,kara,\,\left[3697_{516\,th\,p}\right]^{5},\,made,\,[516],\,kono} = \left(5.350889757\ 10^{19}\right)_{prime_{13}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{5},\,kara,\,\left[3863_{536\,th\,p}\right]^{5},\,made,\,[536],\,kono} = \left(6.906095624\ 10^{19}\right)_{prime_{14}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{5},\,kara,\,\left[4547_{616\,th\,p}\right]^{5},\,made,\,[616],\,kono} = \left(1.762399751\ 10^{20}\right)_{prime_{15}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{5},\,kara,\,\left[4621_{624\,th\,p}\right]^{5},\,made,\,[624],\,kono} = \left(1.924362879\ 10^{20}\right)_{prime_{16}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{5},\,kara,\,\left[5479_{724\,th\,p}\right]^{5},\,made,\,[724],\,kono} = \left(5.298988240\ 10^{20}\right)_{prime_{17}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{5},\,kara,\,\left[5653_{744\,th\,p}\right]^{5},\,made,\,[744],\,kono} = \left(6.371372122\ 10^{20}\right)_{prime_{18}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{5},\,kara,\,\left[5879_{774\,th\,p}\right]^{5},\,made,\,[774],\,kono} = \left(8.303235318\ 10^{20}\right)_{prime_{19}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{5},\,kara,\,\left[6427_{836\,th\,p}\right]^{5},\,made,\,[836],\,kono} = \left(1.391255720\ 10^{21}\right)_{prime_{20}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{5},\,kara,\,\left[7411_{940\,th\,p}\right]^{5},\,made,\,[940],\,kono} = \left(3.059172794\ 10^{21}\right)_{prime_{21}} \right]$$

<div align="center">{6} 乗数、 LAST, 10 例</div>

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{6},\,kara,\,\left[4219_{578\,th\,p}\right]^{6},\,made,\,[578],\,kono} = \left(4.135435592\ 10^{23}\right)_{prime_{18}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{6},\,kara,\,\left[4297_{590\,th\,p}\right]^{6},\,made,\,[590],\,kono} = \left(4.853748668\ 10^{23}\right)_{prime_{19}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{6},\,kara,\,\left[4561_{618\,th\,p}\right]^{6},\,made,\,[618],\,kono} = \left(7.019240947\ 10^{23}\right)_{prime_{20}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{6},\,kara,\,\left[4673_{632\,th\,p}\right]^{6},\,made,\,[632],\,kono} = \left(8.393510545\ 10^{23}\right)_{prime_{21}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{6},\,kara,\,\left[5113_{684\,th\,p}\right]^{6},\,made,\,[684],\,kono} = \left(1.575730890\ 10^{24}\right)_{prime_{22}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{6},\,kara,\,\left[5147_{686\,th\,p}\right]^{6},\,made,\,[686],\,kono} = \left(1.612316141\ 10^{24}\right)_{prime_{23}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{6},\,kara,\,\left[5261_{698\,th\,p}\right]^{6},\,made,\,[698],\,kono} = \left(1.850934707\ 10^{24}\right)_{prime_{24}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{6},\,kara,\,\left[5443_{720\,th\,p}\right]^{6},\,made,\,[720],\,kono} = \left(2.377344515\ 10^{24}\right)_{prime_{25}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{6},\,kara,\,\left[5507_{728\,th\,p}\right]^{6},\,made,\,[728],\,kono} = \left(2.594928752\ 10^{24}\right)_{prime_{26}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{6},\,kara,\,\left[7879_{996\,th\,p}\right]^{6},\,made,\,[996],\,kono} = \left(3.049044251\ 10^{25}\right)_{prime_{27}} \right]$$

<div align="center">{7} 乗数、 LAST, 10 例</div>

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{7},\ kara,\ \left[3907_{540\,th\,p}\right]^{7},\ made,\ [540],\ kono} = \left(8.276586075\ 10^{26}\right)_{prime_{19}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{7},\ kara,\ \left[3989_{550\,th\,p}\right]^{7},\ made,\ [550],\ kono} = \left(9.745322095\ 10^{26}\right)_{prime_{20}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{7},\ kara,\ \left[4231_{580\,th\,p}\right]^{7},\ made,\ [580],\ kono} = \left(1.572067074\ 10^{27}\right)_{prime_{21}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{7},\ kara,\ \left[4561_{618\,th\,p}\right]^{7},\ made,\ [618],\ kono} = \left(2.793542962\ 10^{27}\right)_{prime_{22}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{7},\ kara,\ \left[5233_{696\,th\,p}\right]^{7},\ made,\ [696],\ kono} = \left(8.270189274\ 10^{27}\right)_{prime_{23}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{7},\ kara,\ \left[5399_{712\,th\,p}\right]^{7},\ made,\ [712],\ kono} = \left(1.020878321\ 10^{28}\right)_{prime_{24}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{7},\ kara,\ \left[6043_{788\,th\,p}\right]^{7},\ made,\ [788],\ kono} = \left(2.545830145\ 10^{28}\right)_{prime_{25}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{7},\ kara,\ \left[6359_{828\,th\,p}\right]^{7},\ made,\ [828],\ kono} = \left(3.975242304\ 10^{28}\right)_{prime_{26}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{7},\ kara,\ \left[6451_{838\,th\,p}\right]^{7},\ made,\ [838],\ kono} = \left(4.415948659\ 10^{28}\right)_{prime_{27}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{7},\ kara,\ \left[7069_{908\,th\,p}\right]^{7},\ made,\ [908],\ kono} = \left(9.082943741\ 10^{28}\right)_{prime_{28}} \right]$$

{8} 乗数、*LAST, 10 例*

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{8},\ kara,\ \left[3917_{542\,th\,p}\right]^{8},\ made,\ [542],\ kono} = \left(2.979759681\ 10^{30}\right)_{prime_{11}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{8},\ kara,\ \left[4013_{554\,th\,p}\right]^{8},\ made,\ [554],\ kono} = \left(3.713394606\ 10^{30}\right)_{prime_{12}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{8},\ kara,\ \left[4513_{612\,th\,p}\right]^{8},\ made,\ [612],\ kono} = \left(1.022372962\ 10^{31}\right)_{prime_{13}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{8},\ kara,\ \left[4783_{642\,th\,p}\right]^{8},\ made,\ [642],\ kono} = \left(1.673954483\ 10^{31}\right)_{prime_{14}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{8},\ kara,\ \left[5413_{714\,th\,p}\right]^{8},\ made,\ [714],\ kono} = \left(5.022016440\ 10^{31}\right)_{prime_{15}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{8},\ kara,\ \left[5879_{774\,th\,p}\right]^{8},\ made,\ [774],\ kono} = \left(1.138509543\ 10^{32}\right)_{prime_{16}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{8},\ kara,\ \left[6367_{830\,th\,p}\right]^{8},\ made,\ [830],\ kono} = \left(2.306285954\ 10^{32}\right)_{prime_{17}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{8},\ kara,\ \left[6701_{864\,th\,p}\right]^{8},\ made,\ [864],\ kono} = \left(3.462591487\ 10^{32}\right)_{prime_{18}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{8},\ kara,\ \left[7121_{912\,th\,p}\right]^{8},\ made,\ [912],\ kono} = \left(5.971681253\ 10^{32}\right)_{prime_{19}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{8},\ kara,\ \left[7703_{978\,th\,p}\right]^{8},\ made,\ [978],\ kono} = \left(1.222846157\ 10^{33}\right)_{prime_{20}} \right]$$

{9} 乗数、*LAST, 10 例*

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{9},\ kara,\ \left[839_{146\,th\,p}\right]^{9},\ made,\ [146],\ kono} = \left(2.707299500\ 10^{27}\right)_{prime_{2}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{9},\,kara,\,\left[1997_{302\,th\,p}\right]^{9},\,made,\,[302],\,kono} = \left(1.281491450\ 10^{31}\right)_{prime_3} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{9},\,kara,\,\left[3119_{444\,th\,p}\right]^{9},\,made,\,[444],\,kono} = \left(1.056579436\ 10^{33}\right)_{prime_4} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{9},\,kara,\,\left[3137_{446\,th\,p}\right]^{9},\,made,\,[446],\,kono} = \left(1.114094586\ 10^{33}\right)_{prime_5} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{9},\,kara,\,\left[4111_{566\,th\,p}\right]^{9},\,made,\,[566],\,kono} = \left(1.705378116\ 10^{34}\right)_{prime_6} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{9},\,kara,\,\left[5443_{720\,th\,p}\right]^{9},\,made,\,[720],\,kono} = \left(2.684765012\ 10^{35}\right)_{prime_7} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{9},\,kara,\,\left[5659_{746\,th\,p}\right]^{9},\,made,\,[746],\,kono} = \left(4.012889322\ 10^{35}\right)_{prime_8} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{9},\,kara,\,\left[5923_{778\,th\,p}\right]^{9},\,made,\,[778],\,kono} = \left(6.399952822\ 10^{35}\right)_{prime_9} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{9},\,kara,\,\left[6571_{850\,th\,p}\right]^{9},\,made,\,[850],\,kono} = \left(1.731298876\ 10^{36}\right)_{prime_{10}} \right]$$

$$\left[sum_{\left[2_{\{1\}\,th\,p}\right]^{9},\,kara,\,\left[6659_{858\,th\,p}\right]^{9},\,made,\,[858],\,kono} = \left(1.925856325\ 10^{36}\right)_{prime_{11}} \right]$$

$$\{10\}\,乗数、\,LAST,\,10\,例$$

Error, invalid subscript selector

>