

```

> # 完全数6, 28, , , , by H.E 2019-11-6 :
> c := 0 :for n from 2 to 10000000 do s := 1 :for x from 2 to floor(evalf(n^(1/2))) do if n
mod x=0 then s := s + x + n/x fi: od:if s mod n = 0 then if s/n = 1 then print( ) :
print(完全数, H=n, 約数の和=s[ifactor(s)]) else print( ) :print( {s/n} 倍数, H=n,
約数の和=s[ifactor(s)]) fi:fi:od:

完全数、H=6, 約数の和=6(2)(3)

完全数、H=28, 約数の和=28(2)^2(7)

{2} 倍数, H=120, 約数の和=240(2)^4(3)(5)

完全数、H=496, 約数の和=496(2)^4(31)

{2} 倍数, H=672, 約数の和=1344(2)^6(3)(7)

完全数、H=8128, 約数の和=8128(2)^6(127)

{3} 倍数, H=30240, 約数の和=90720(2)^5(3)^4(5)(7)

{3} 倍数, H=32760, 約数の和=98280(2)^3(3)^3(5)(7)(13)

{2} 倍数, H=523776, 約数の和=1047552(2)^{10}(3)(11)(31) (1)

> for h from 2 to 10000 do if isprime((h^h - 1)/(h - 1)) then print([(h^h - 1)/(h - 1) = prime(H * E[h])])
fi:od:

```

$$\frac{[2]^2 - 1}{[2] - 1} = \text{prime}(H \cdot E_2)$$

$$\frac{[3]^3 - 1}{[3] - 1} = \text{prime}(H \cdot E_3)$$

$$\frac{[19]^{19} - 1}{[19] - 1} = \text{prime}(H \cdot E_{19})$$

$$\frac{[31]^{31} - 1}{[31] - 1} = \text{prime}(H \cdot E_{31})$$

$$\frac{[7547]^{7547} - 1}{[7547] - 1} = \text{prime}(H \cdot E_{7547})$$
 (2)